

Glass transition and functionality of hydrated proteins

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Functionality related to dynamics

Simplest characterization of dynamics:

Debye-Waller or Lamb-Mössbauer factor

$$\exp(-Q^2 \langle u^2 \rangle / 3)$$

 **mean square displacement (MSD)**

Definition of MSD ambiguous: mean over what?

- Average over sample atoms: **how weighted? Homogeneity?**
- Average over **what time?**
- Is $Q^2 u^2$ **really** $\ll 1$? **Heterogeneity?**

Averaging time: defined by the experiment

Mössbauer spectr.: $t \sim 1 \mu\text{s}$

Bragg diffraction: $t \sim \infty$

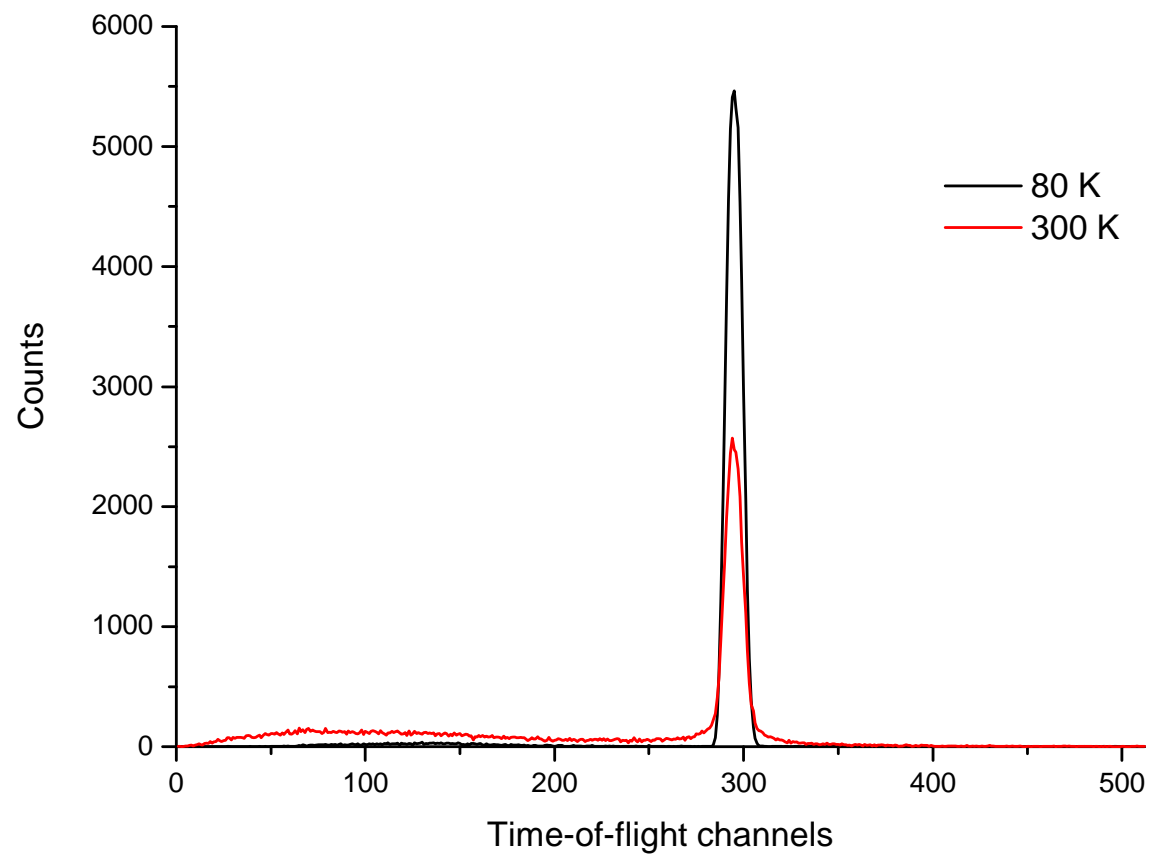
amorphous matter: energy/time analysis

“Dynamic transition”

observed in the temperature dependence of MSD or DW

Goal: some additional experimental look

Time-of-flight inelastic neutron spectroscopy: variable averaging time domain $\sim 1 - 100$ ps

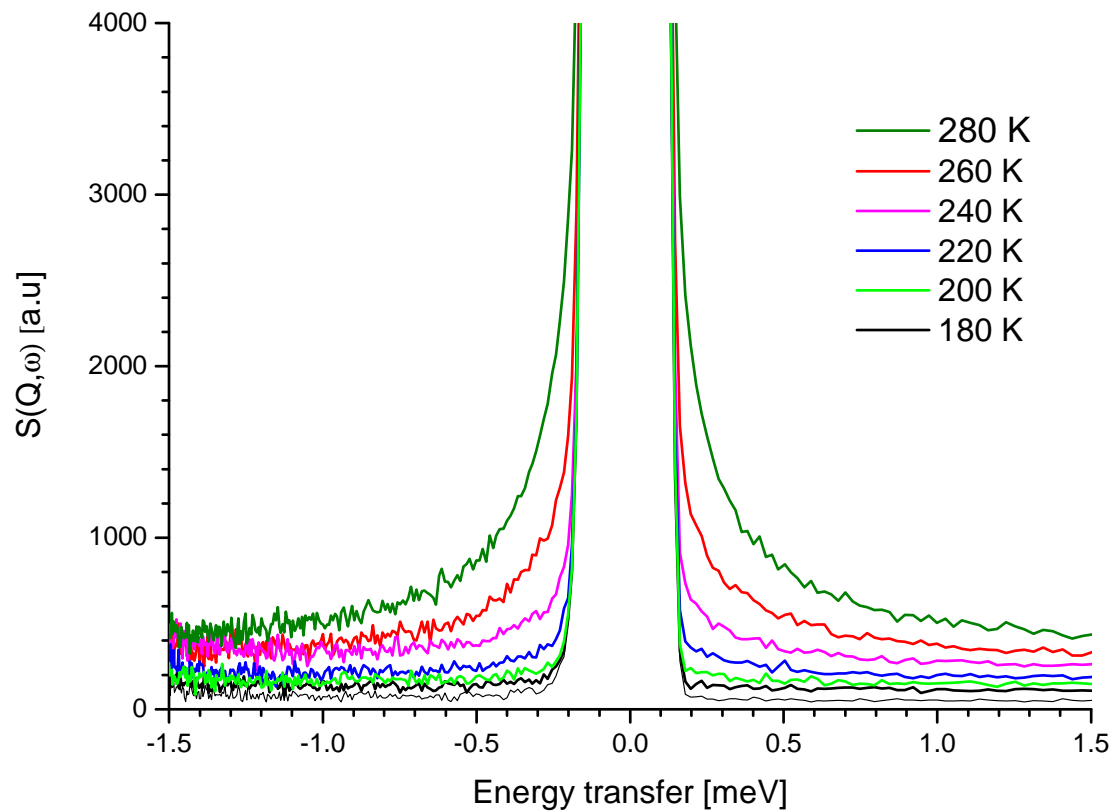


Additional dynamic process: “ β relaxation”

time domain: $t > 5$ ps

approx. power law shape, “relaxation time” poorly defined

$\langle \rangle_t$ for times up to $\sim t$ obtained by $\int S d(\hbar\omega)$ for $|\omega| < 1/t$

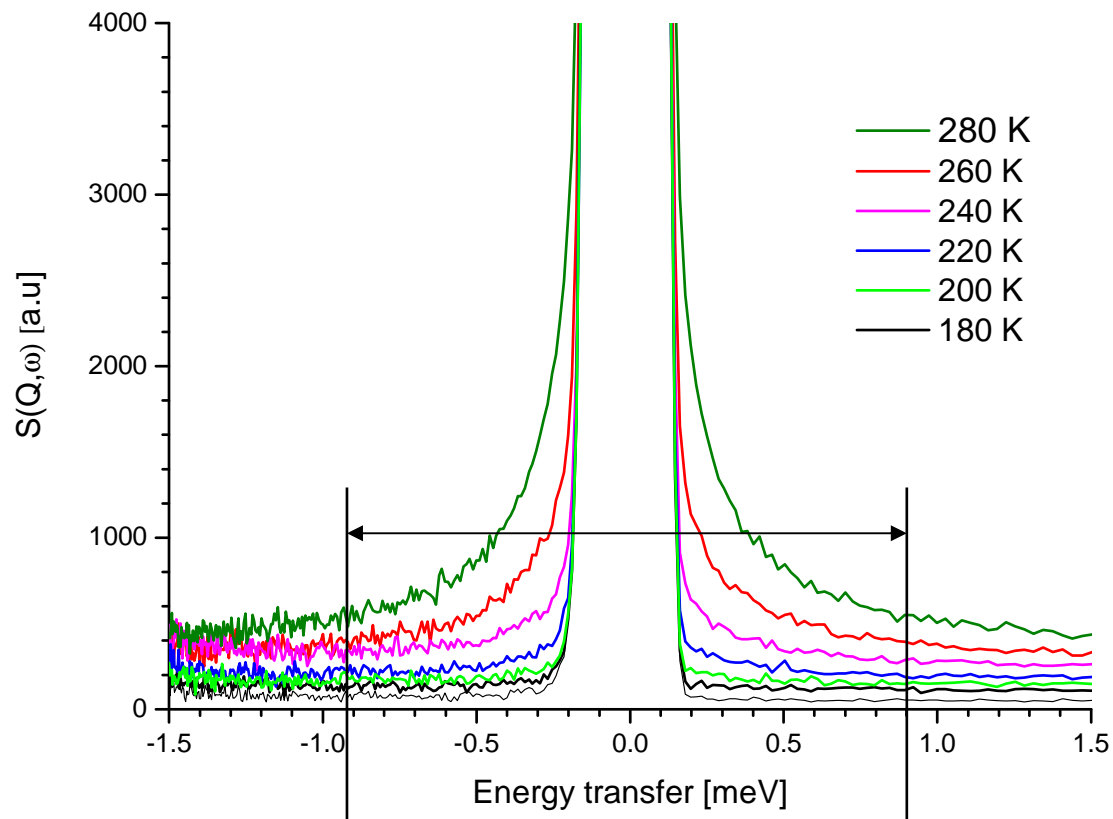


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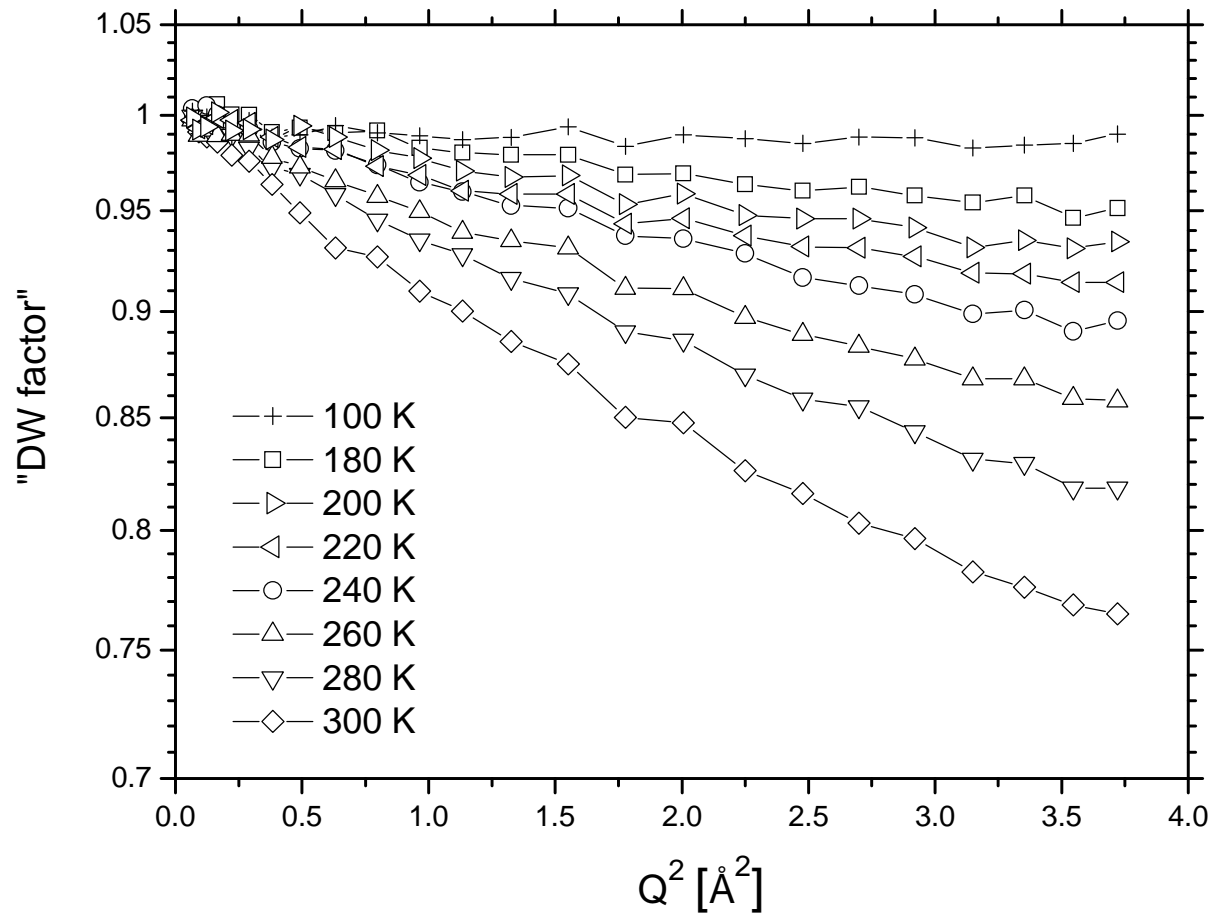
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“Debye-Waller factor”

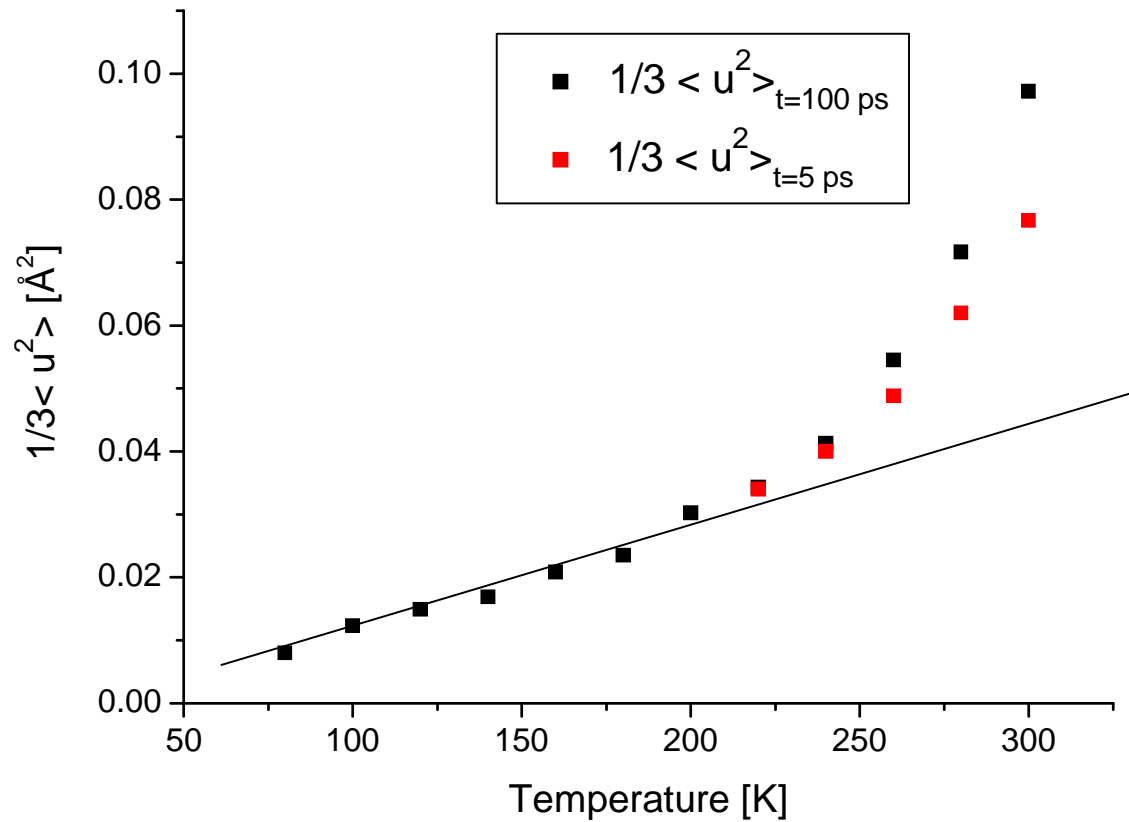
evaluated for two definitions of “elasticity”: 5 ps and 100 ps
 $\langle u^2 \rangle$: initial slope of reasonably straight lines



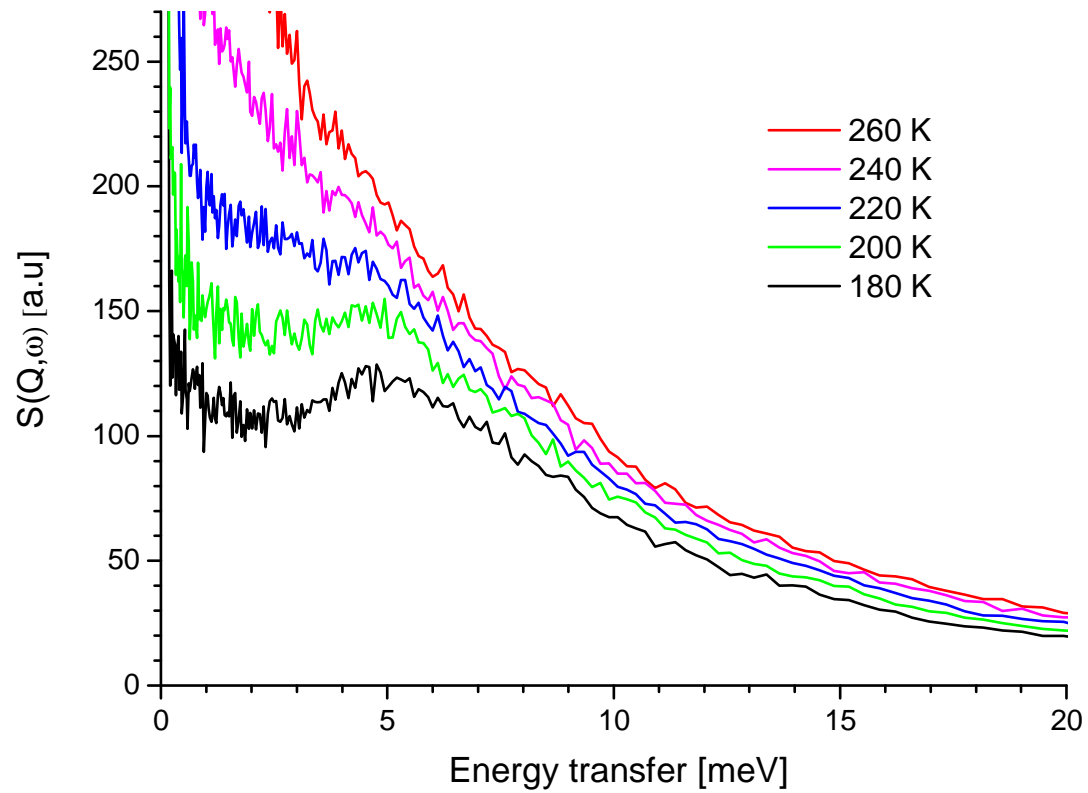
t ~ 100 ps

MSD shows:

same “transition temperature” T^* for both times
i.e. change in purely vibrational behavior at T^*



Energy spectrum shows apparent Boson peak below T^*
not checked if it is in excess of Debye sp.



Habitual data analysis leads to common signatures of the “dynamic transition” in hydrated proteins:

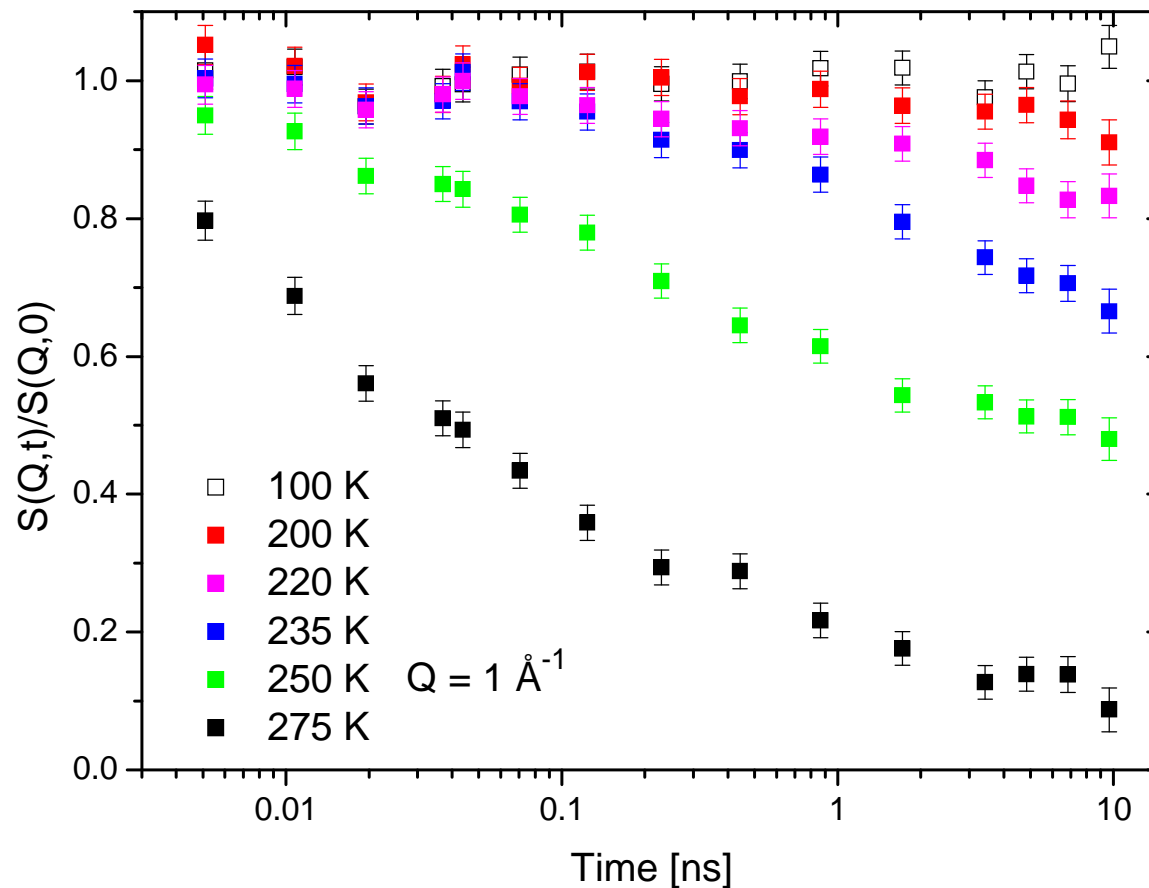
Habitual data analysis leads to common signatures of the “dynamic transition” in hydrated proteins:

... but the sample was just an archetypical glass: glycerol

... the apparent $T^* \sim T_g$

Neutron Spin Echo study of a real hydrated protein

NSE: direct measurement of DW factor vs. time in a broad range
but: Q range limited to $< \sim 1 \text{ \AA}^{-1}$

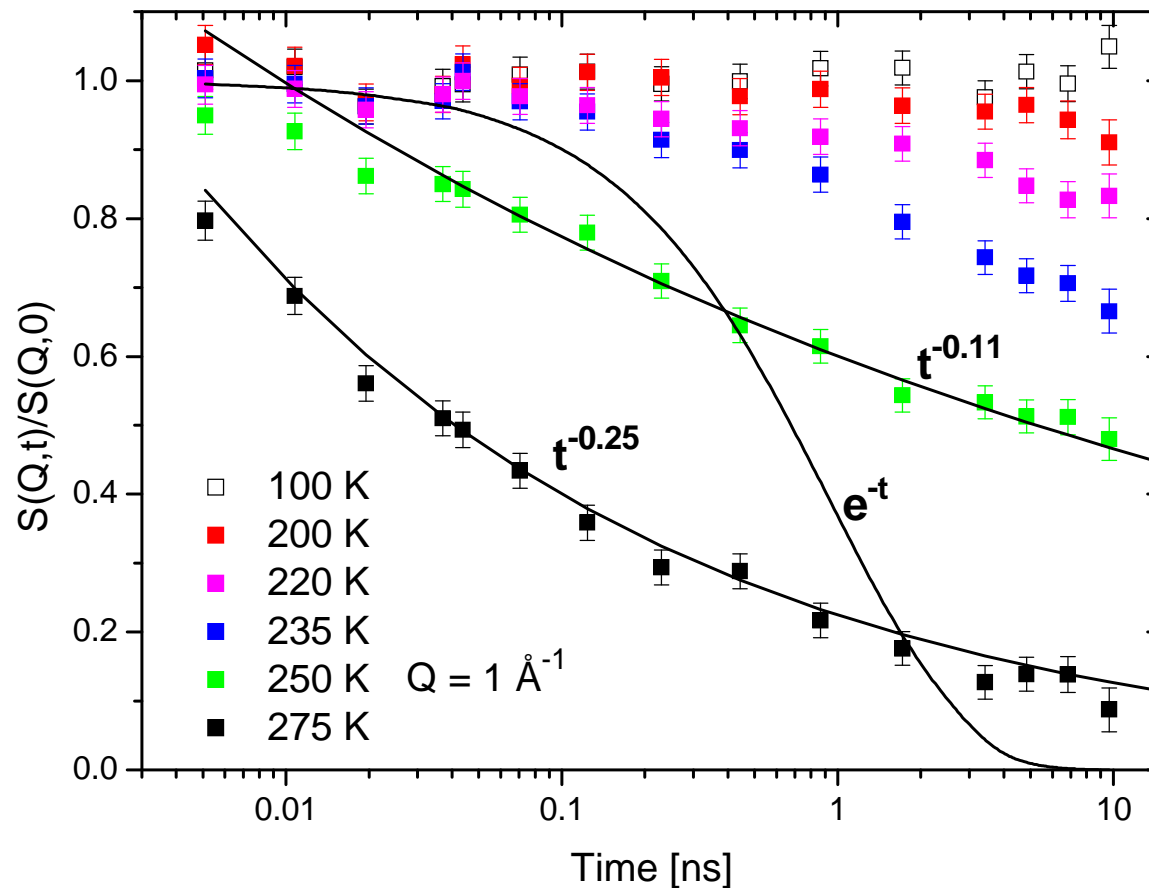


Myoglobin + H₂O

Time dependence spans
a large time domain

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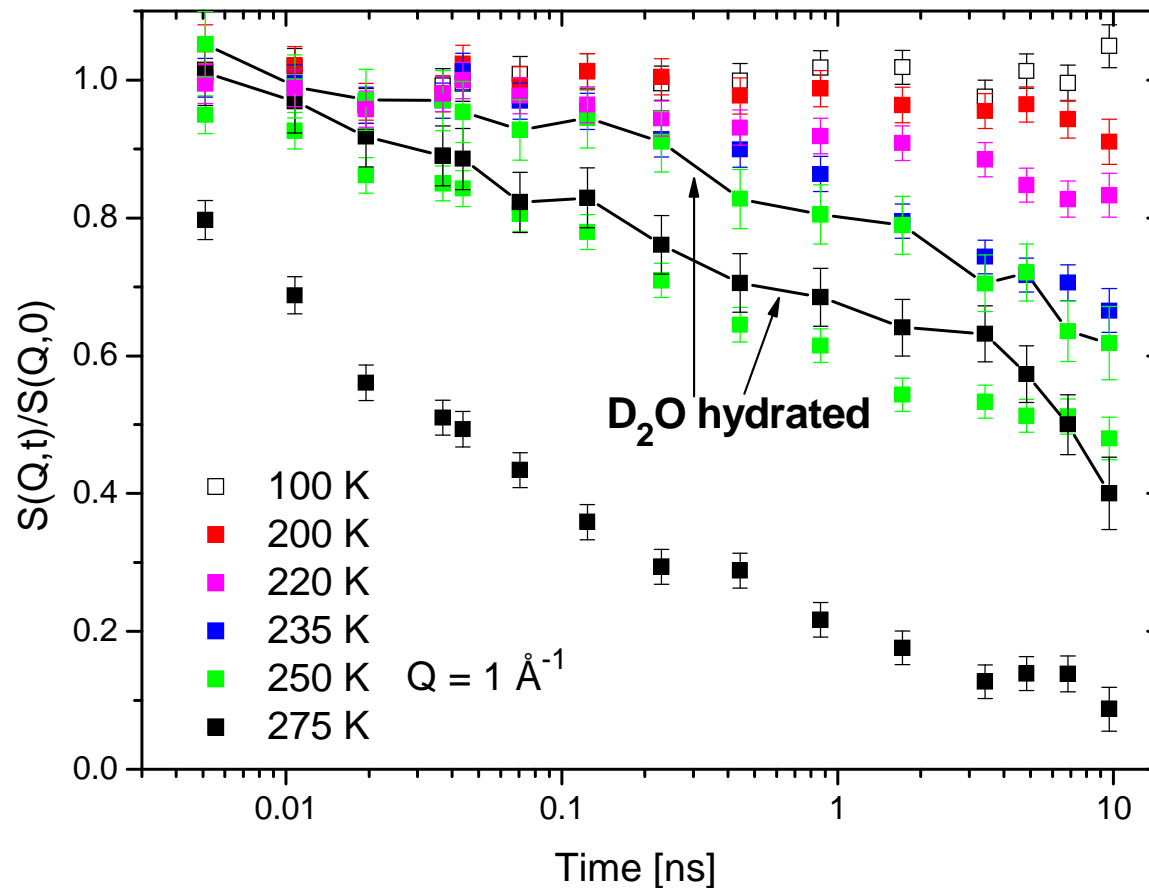
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Complex relaxation line
shapes

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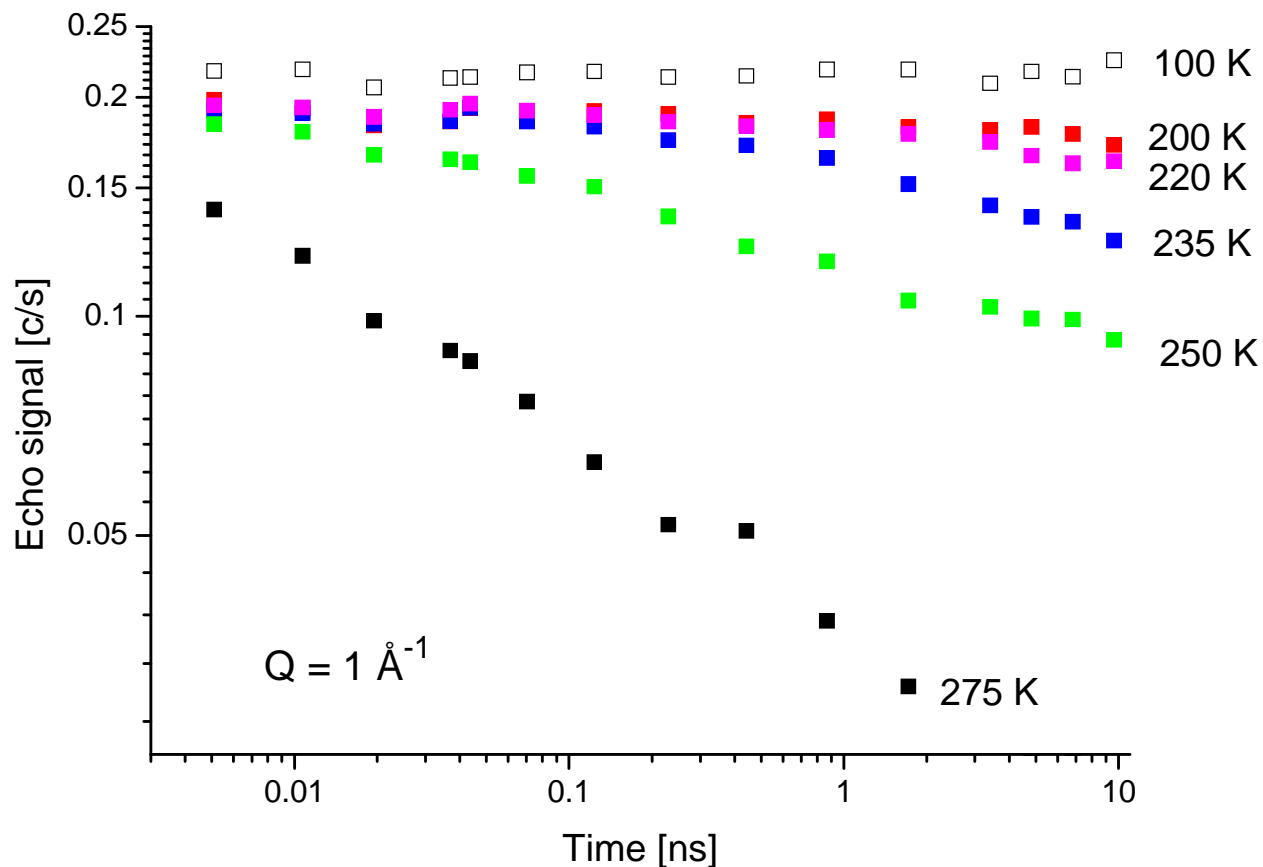
D₂O hydration: signal from protein dominates

Dynamics of protein and hydration water are different

Indirect evidence from Q dependence: **more dynamic heterogeneity**

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DW factor: $S(Q,t)$

Q range below that of
of previous studies

Complex Q dependence
due to dynamic hetero-
geneity

**Apparent transition
temperature slightly
time dependent**

Conclusions:

The canonical “glass transition” shows key signatures of the “dynamic transition” in hydrated proteins

....and vice versa

Dynamic heterogeneity (at least at small Q's i.e. $r > \sim 3 \text{ \AA}$) makes the data incompatible with the assumption of a single $\langle u^2 \rangle$: complexity

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The canonical “glass transition” shows key signatures of the “dynamic transition” in hydrated proteins

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“The truth is rarely pure and never simple”
Oscar Wilde