

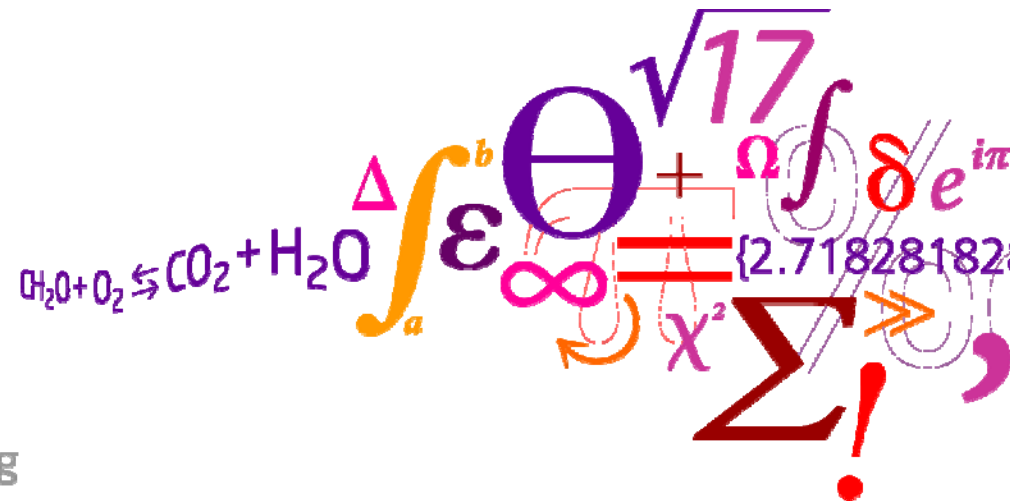
Identification and modeling of non-stationary tendencies in extreme rainfall

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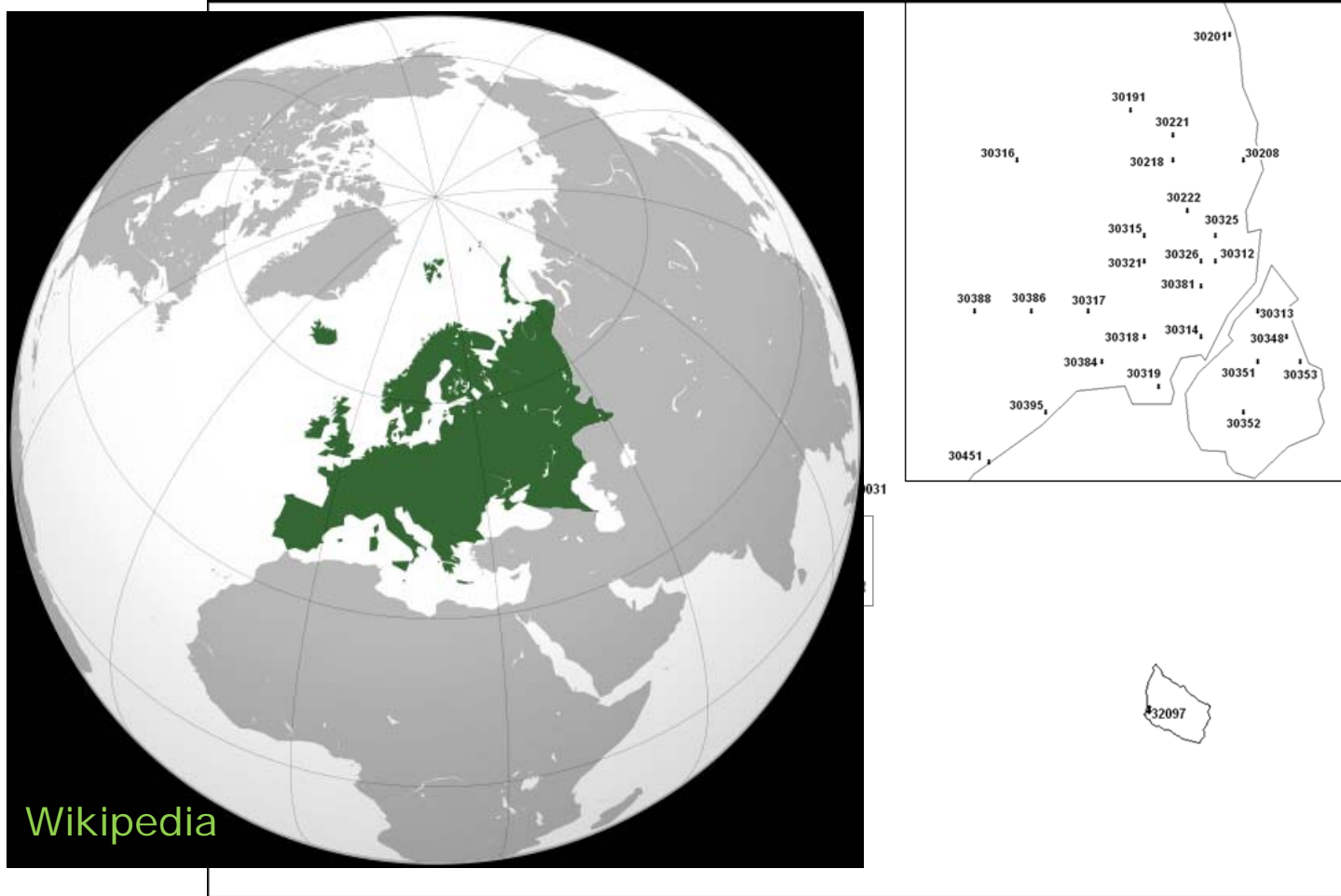
Henrik Madsen, DHI



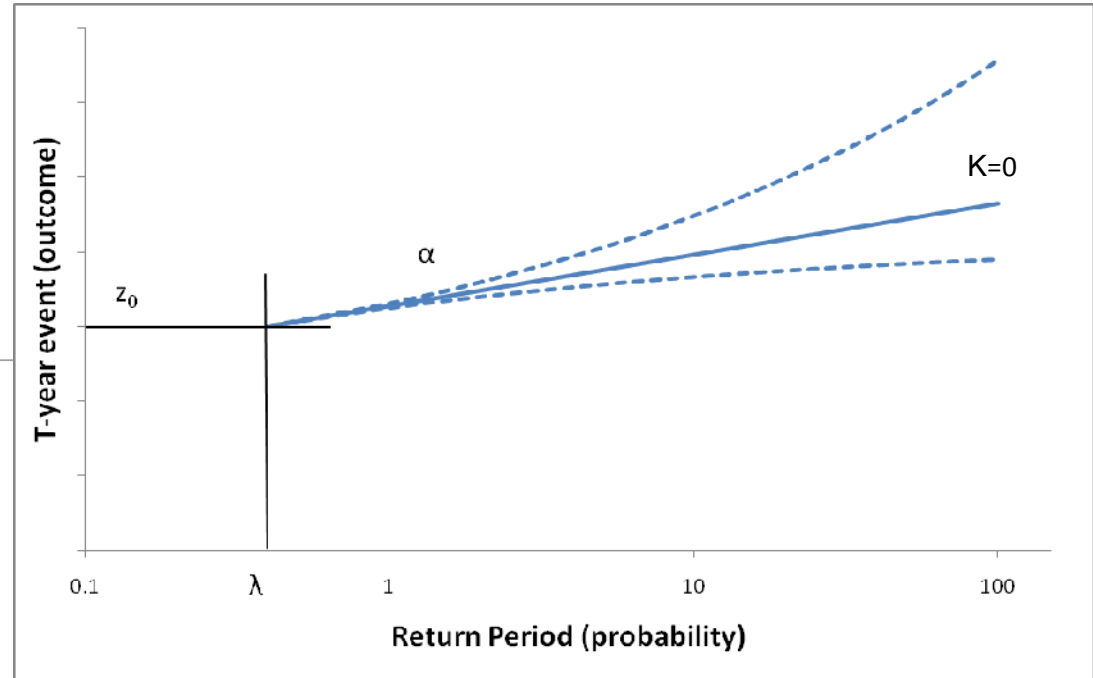
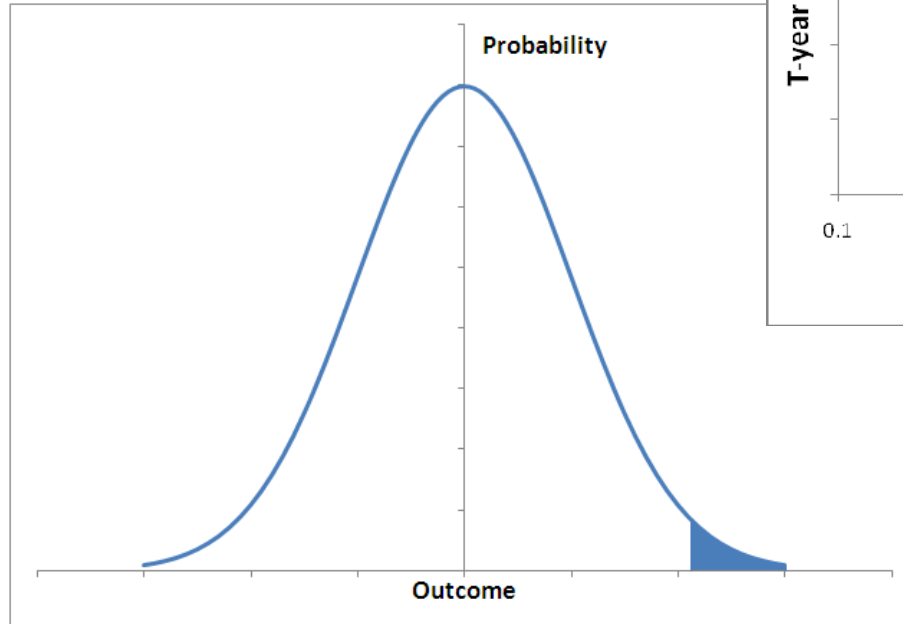
Content

- Data
- Model framework and previous studies
- Temporal development of the extreme rainfall
 - The annual no. of extreme events
 - The α and κ in the Generalized Pareto Distribution
- Conclusion

31 years of observed rainfall from high resolution rain gauges



Model framework



T-year event:

An event that happens on average every T-year (rainfall intensity [$\mu\text{m/s}$])

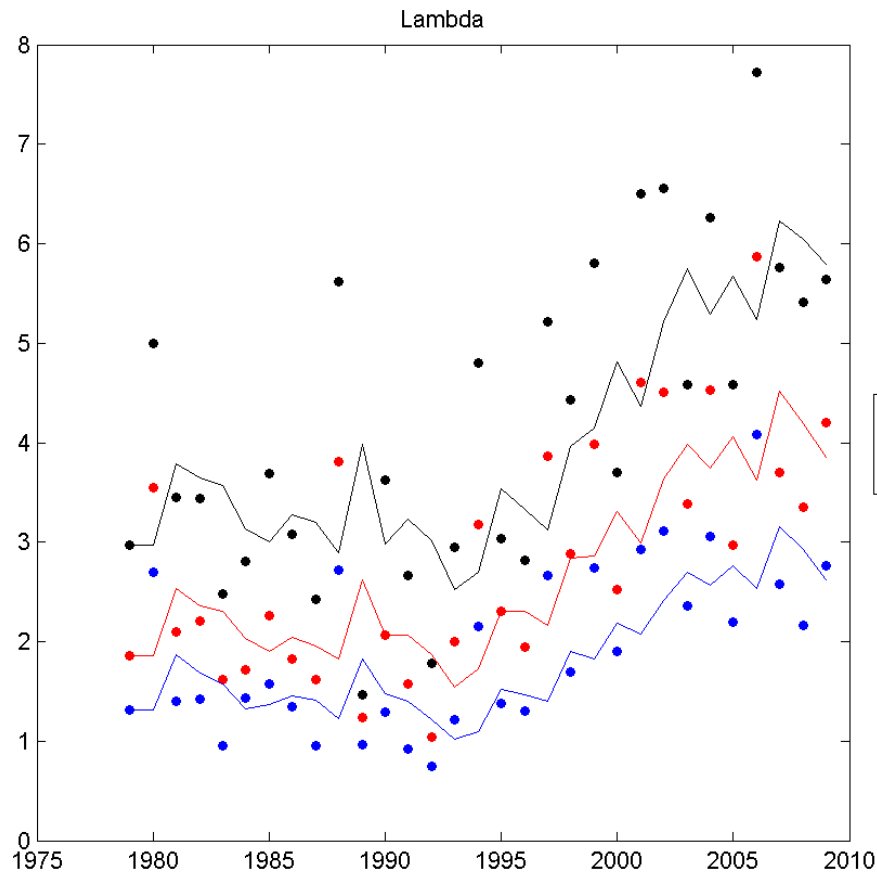
T = Return Period

A regional model of extreme rainfall

- Spatial variations of GP-parameters
- Assumes stationarity
- Rainfall duration 1 min – 24 hours
- Model applied in urban drainage design today
- An incorrectly dimensioned drainage system is critical



Temporal variation of λ



Duration 10 min
 Non-stationary
 30 years is a short
 time window

• $z_g=1$
 • $z_g=1.2$
 • $z_g=1.4$

Changes in the
 slope as a function
 of z_0 ?

Modelling variations of λ

$$\frac{N_{ij}}{t_{ij}} = \phi + \varphi \cdot year_i + \tau \cdot NAO_i + \gamma \cdot MAP_j + \nu \cdot latitude_j + \varepsilon_{ij}$$

$i=1\dots31$ (temporal variable, number of years)

$j=1\dots70$ (spatial variable, number of stations)

N = number of extreme events (a count)

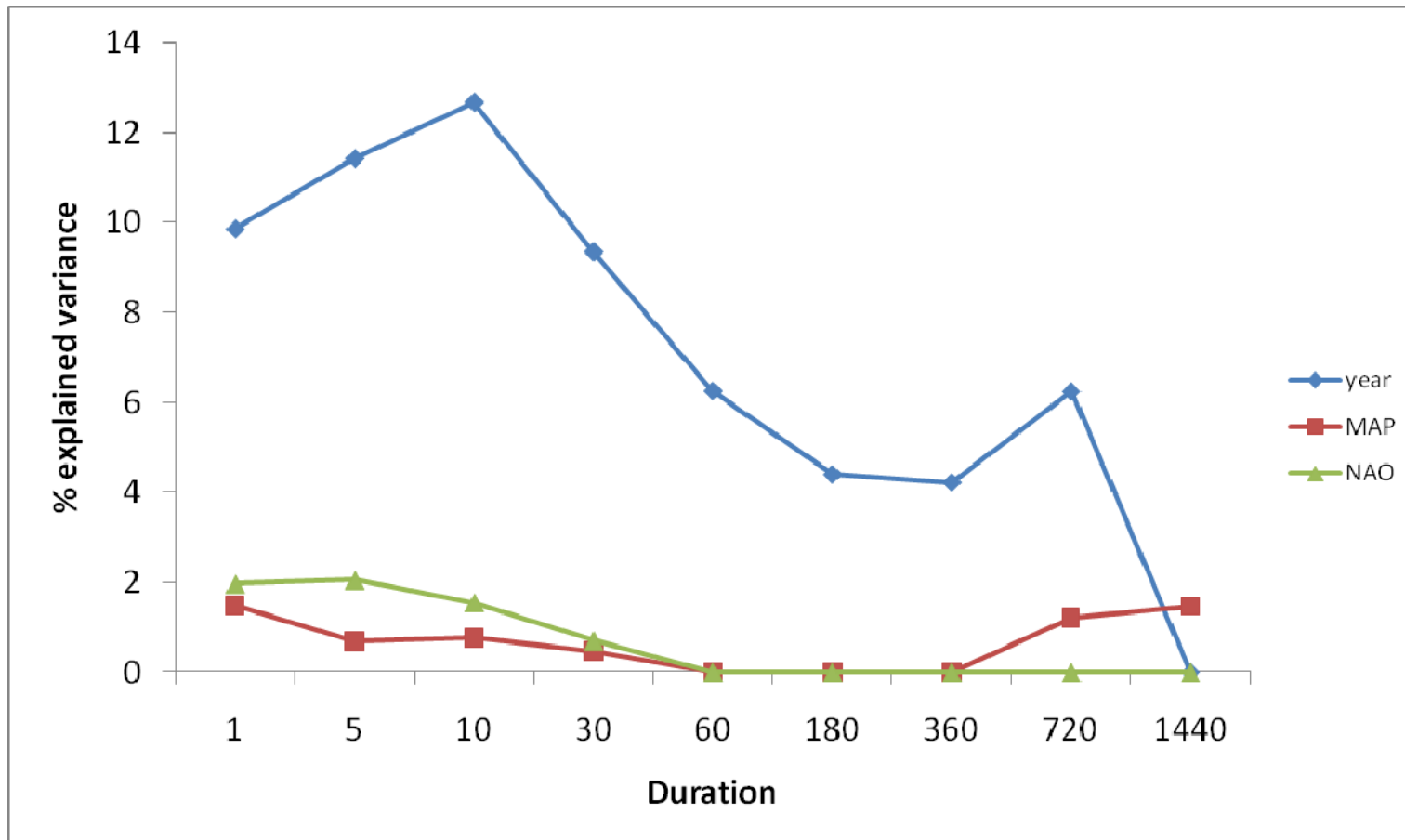
t = active measurement period

$\lambda = N/t$

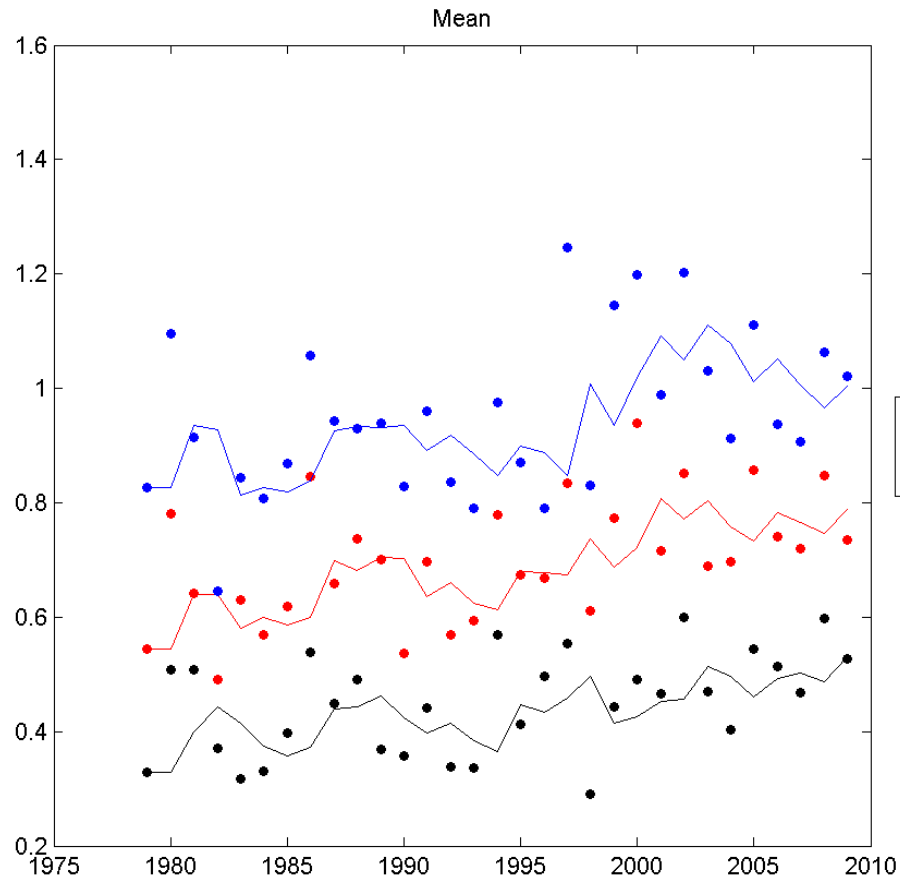
Be aware of:

- Correlations between rain gauge stations
- Correlations between the explanatory variables

Variations in λ – sensitivity analysis

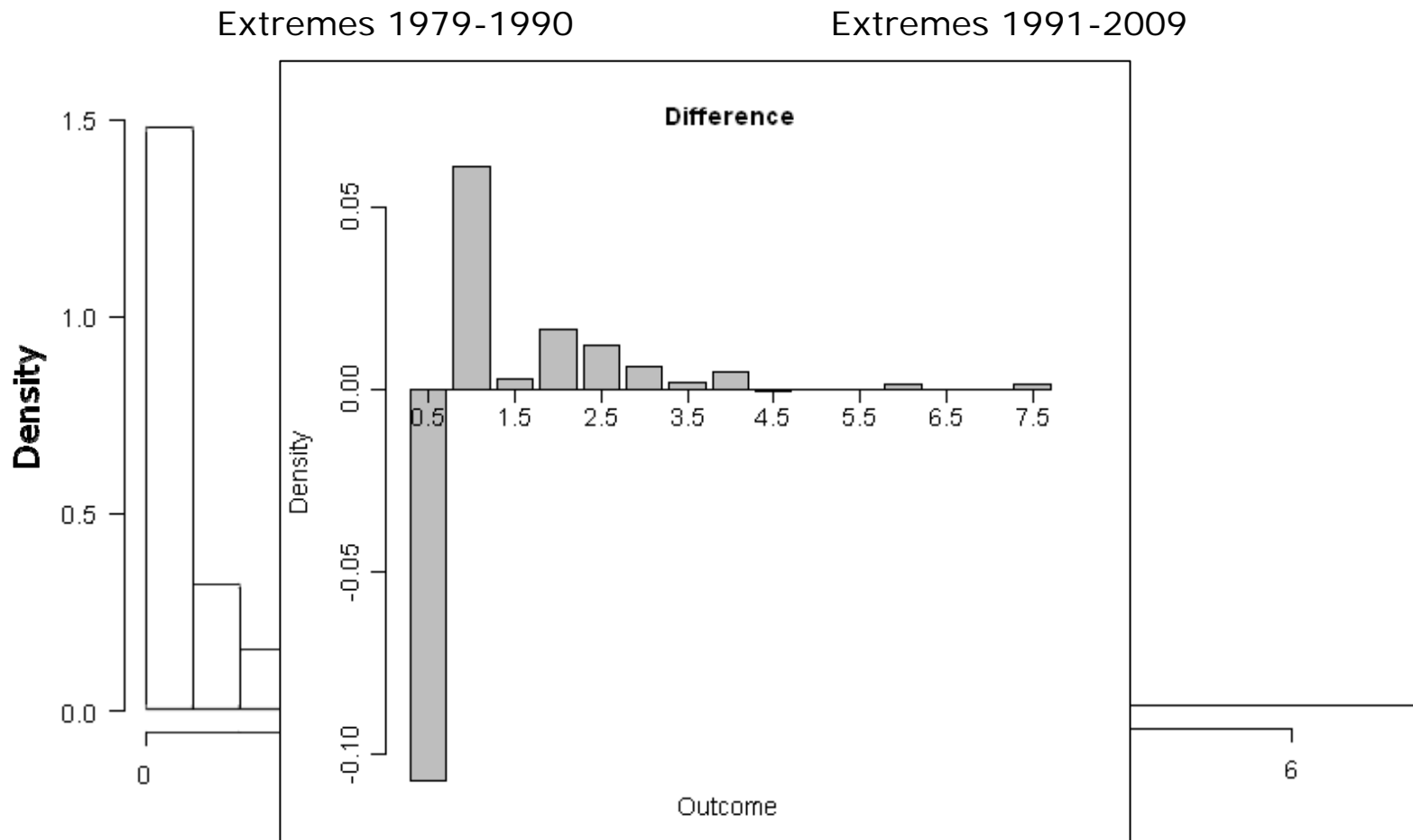


Variations in α and K

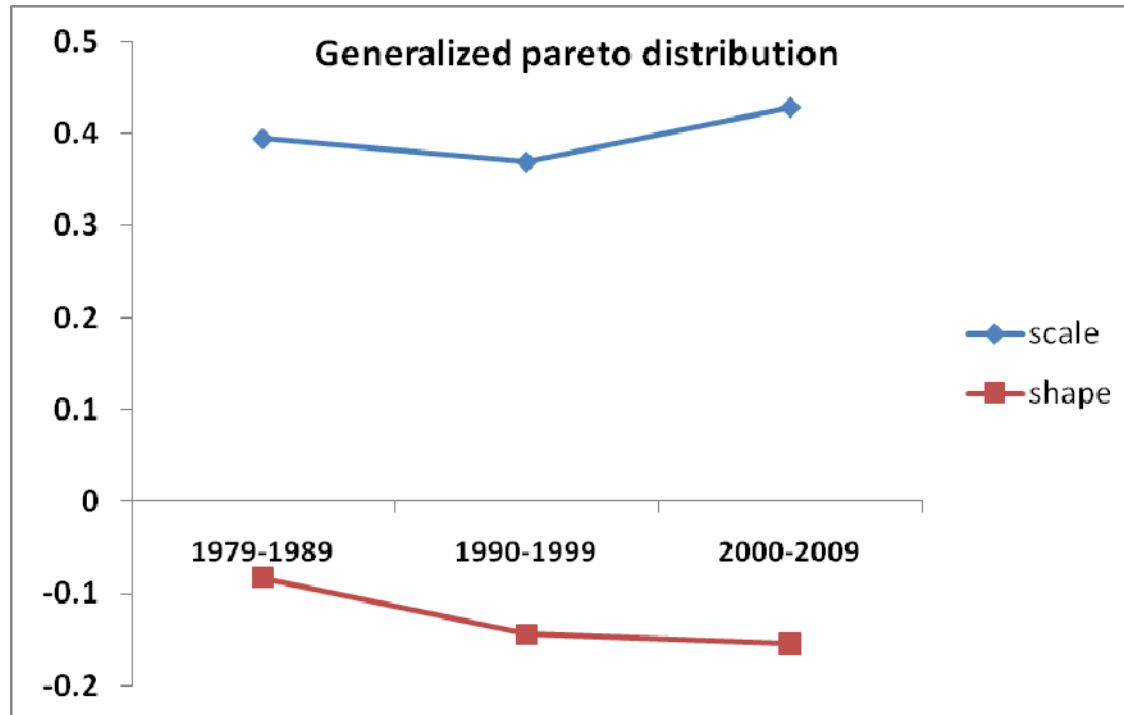


Duration 180 min
Weak non-stationarity
Increasing $z_0 \rightarrow$
Increase of slope

Variations in α and K



Variations in α and K



Duration 180 min
 Based on few data
 Increase in scale
 Decrease in shape

How to get a better understanding of the changes in α and κ ?

$$F_t(x) = F(\theta_t, x)$$

$$F_t(x) = \alpha F_1(\psi, x) + (1 - \alpha) F_2(\theta_t, x)$$

$$F_t(x) = \alpha_t F_1(\psi, x) + (1 - \alpha_t) F_2(\theta, x)$$

$F_1(x)$ Exponential distribution ?

$F_2(x)$ Log-normal distribution ?

Summary and conclusion

- The extreme rainfall is non-stationarity
- When z_0 increase we see a tendency towards:
 - Decreasing slopes for the temporal development of λ
 - Increasing slopes for the temporal development of μ
- Difference for different rainfall durations
 - development of λ most clear for 1–60 min
 - development of μ most clear for 60–720 min
- κ becomes more negative
- Outlook: Possibility for comparison with transient climate simulations